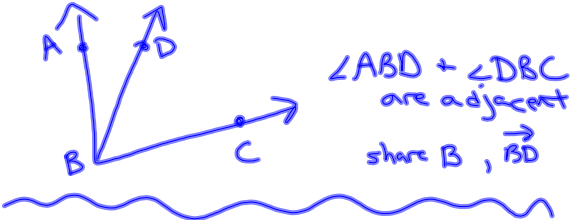


1-5 Angle Relationships

Adjacent angles—2 \angle s that lie in the same plane, have a common vertex, and a common side, but no common interior points



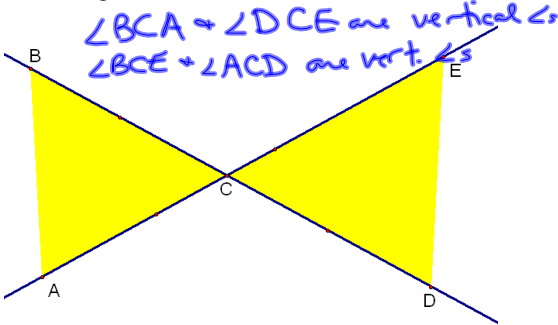
$\angle ABD + \angle DBC$
are adjacent
share B, \overrightarrow{BD}

$\angle ABD + \angle ABC$ are NOT adjacent
have common interior pt

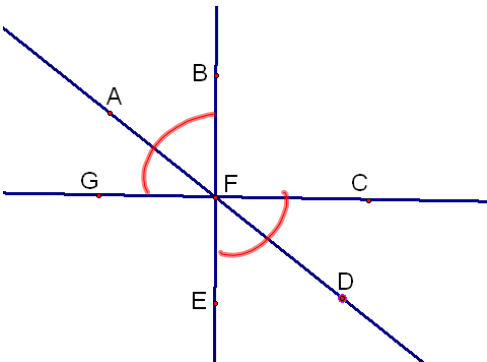
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Vertical angles—2 nonadjacent \angle s formed by intersecting lines



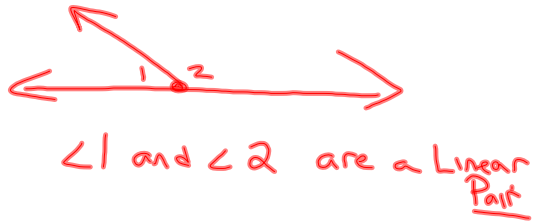
$\angle BCA \approx \angle DCE$ are vertical \angle s
 $\angle BCE + \angle ACD$ are vert. \angle s



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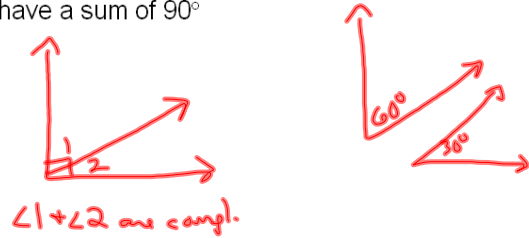
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Linear pair—a pair of adjacent \angle s whose non-common sides are opposite rays



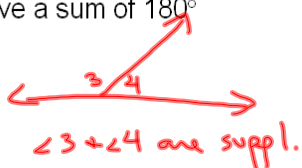
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Complementary angles—2 \angle s whose measures have a sum of 90°



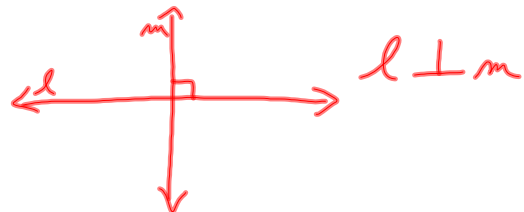
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Supplementary angles—2 \angle s whose measures have a sum of 180°



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Perpendicular lines—lines that form right \angle s; form congruent adjacent \angle s (\perp)



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Example 1

An angle is 6° less than twice its complement. Find the angles.

$x + y = 90$
 $x = 2y - 6$
 Substitution
 $2y - 6 + y = 90$
 $3y - 6 = 90$
 $3y = 96$
 $y = 32$
 $x = 58$
 $32^\circ, 58^\circ$

First eqn. to solve $90 \neq 180$
Second eqn. Use the sentence

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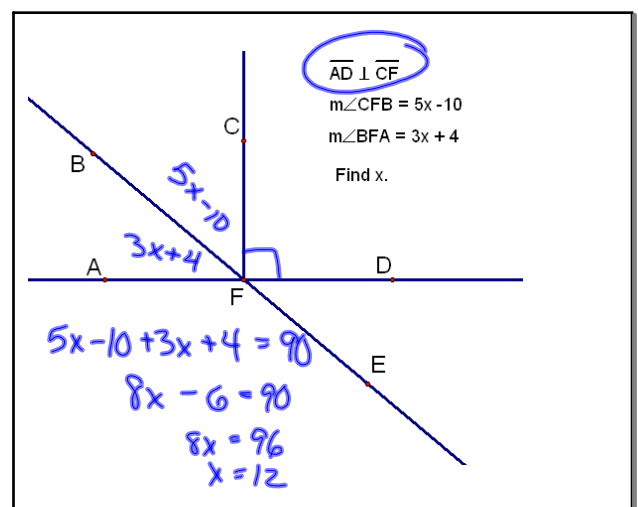
Example 2

An angle is 44° more than its supplement. Find the angles.

$x + y = 180$
 $x = 44 + y$
 $44 + y + y = 180$
 $44 + 2y = 180$
 $2y = 136$
 $y = 68$
 $x = 112$
 $68^\circ, 112^\circ$

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Example 3 Two angles are complementary. An angle is 17 times as large as the other. Find the angles.



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HW
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